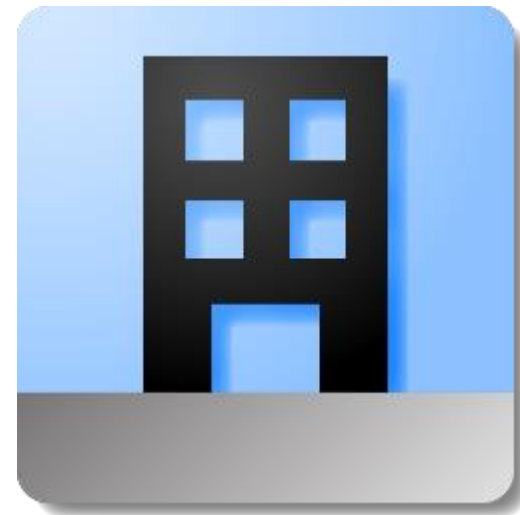


# FIRE DESIGN OF COLUMNS

## AS 3600 & EC2



# OVERVIEW

- AS 3600 – 2009 & 2018 Incl. AMDT No. 1 & 2
  - Deemed to comply fire tables
    - Table 5.6.3, 5.6.4, 5.7.2
  - FRP equation introduced in 2018
    - Eqn. 5.6.3(2)
  - Practical considerations and limitations.
  - Fully implemented in RCB and RCC software
- Eurocode 2
  - 500°C Isotherm Method
  - Theory and example
  - Coming early 2023 to RCB and RCC

# FIRE DESIGN OF COLUMN TO AS 3600

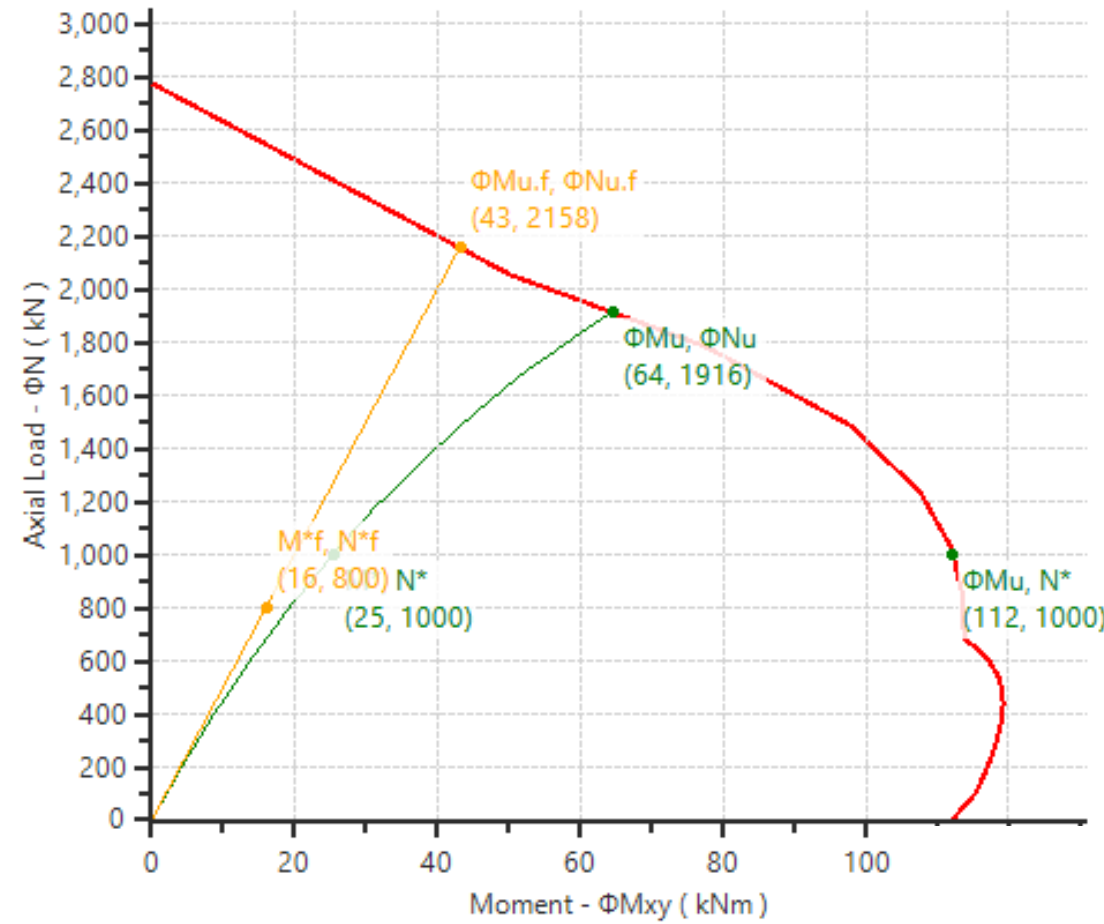
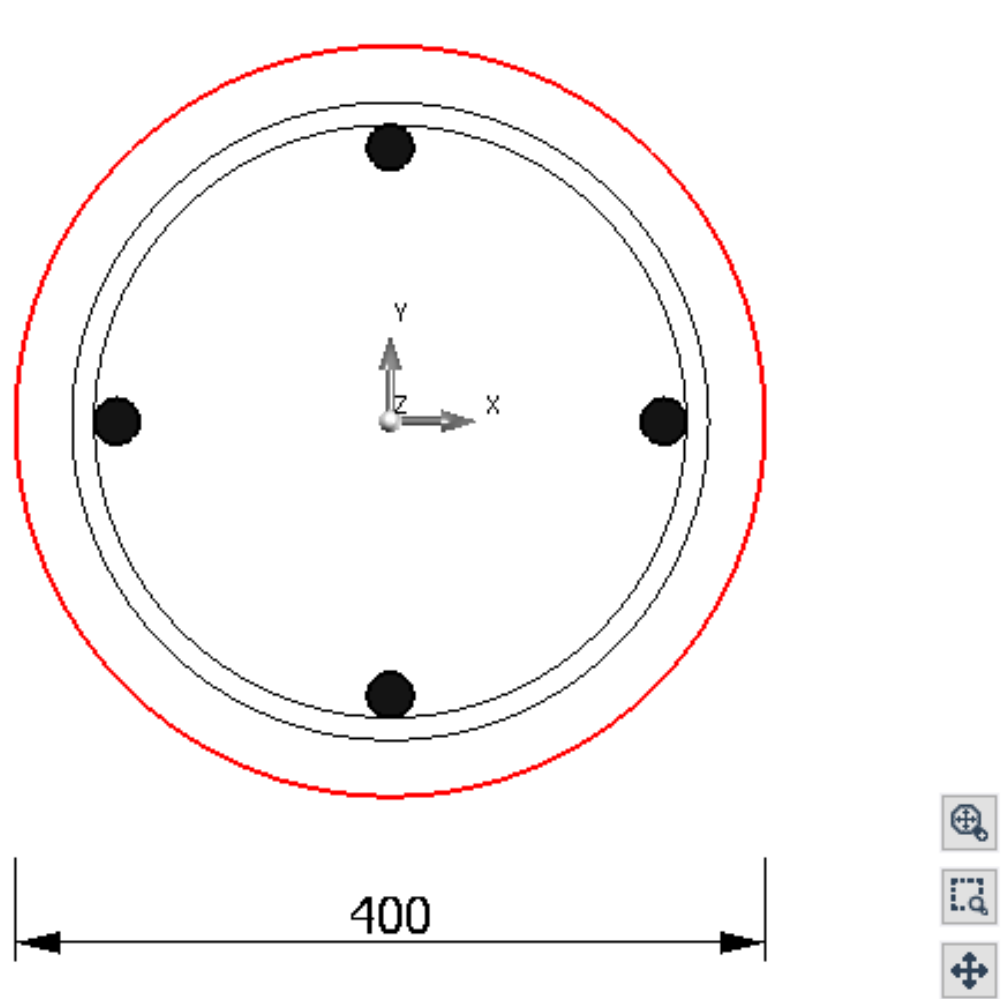
- 5.3 Design Performance Criteria
  - 5.3.1 General Performance Criteria
    - A) determined using tabulated data and figures
    - B) predicted by methods of calculation
      - Eurocode 2 Part 1.2
        - 500°C Isotherm Method – coming to INDUCTA RCC and RCB in early 2023!
        - Zone Method
- 5.6 Fire Resistance Periods (FRPs) For Columns
  - Table 5.6.3
    - Eqn. 5.6.3(2) as an alternative (2018)
  - Table 5.6.4
  - Table 5.7.2 – if aspect ratio  $> 4:1$  – wall

# AS 3600 – TABULATED FIRE DATA

- AS 3600 – 2009 and AS 3600 2018: Tables 5.6.3, 5.6.4, 5.7.2
- Deemed to comply approach
- Derived from empirical tests
  - Limiting Criteria to use these clauses represents the scope of the tests.
- Key Limiting Criteria:
  - Braced Column
  - Effective length under fire:  $l_{o.fi} < 3 \text{ m}$  – Table 5.6.3
  - Eccentricity under fire conditions (e)
    - $e \leq 0.15b$  – Table 5.6.3
    - $e/b < 0.25$  and  $e \leq 100 \text{ mm}$  – Table 5.6.4
    - Slenderness under fire condition  $\lambda_f \leq 30$  – Table 5.6.4
  - Aspect Ratio  $\geq 4$  – Table 5.7.2

**Difficult to get fix-fix columns working using the tables due to eccentricity limits**

# TABLE 5.6.3 - EXAMPLE



- FRP = 90 min
- $a_s = 54$  mm
- $L_u = 3$  m
- $l_{o.fi} = 1.5$  m < 3 m
- $N_f^* = 800$  kN
- $\phi N_{u.f} = 2,158$  kN
- $\mu_{fi} = 0.37$
- $e = 20$  mm <  $0.15b$

Required Min. Dimensions:  
 $b_{min}: 257$  mm  $a_{s,min}: 39$  mm or  
 $b_{min}: 357$  mm  $a_{s,min}: 32$  mm  
 $b = 400$  mm,  $a_s = 54$  mm ... **PASS**

TABLE 5.6.3  
 FIRE RESISTANCE PERIODS (FRPs)  
 FOR STRUCTURAL ADEQUACY OF COLUMNS

FRP for structural adequacy	Minimum dimensions, mm					
	Combinations for column exposed on more than one side					
	$\mu_{fi} = 0.2$		$\mu_{fi} = 0.5$		$\mu_{fi} = 0.7$	
min	$a_s$	$b$	$a_s$	$b$	$a_s$	$b$
90	31	200	45	300	53	350
	25	300	38	400	40 <sup>(1)</sup>	450 <sup>(1)</sup>

Title:  AS 3600 - 2018 AMI

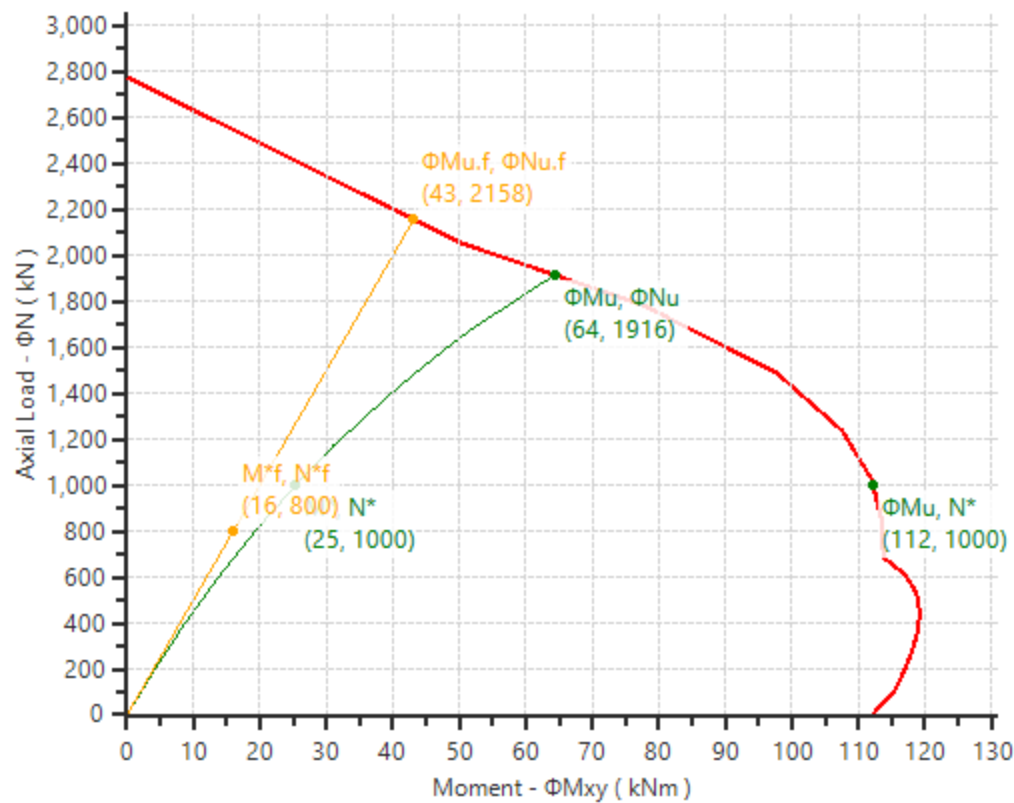
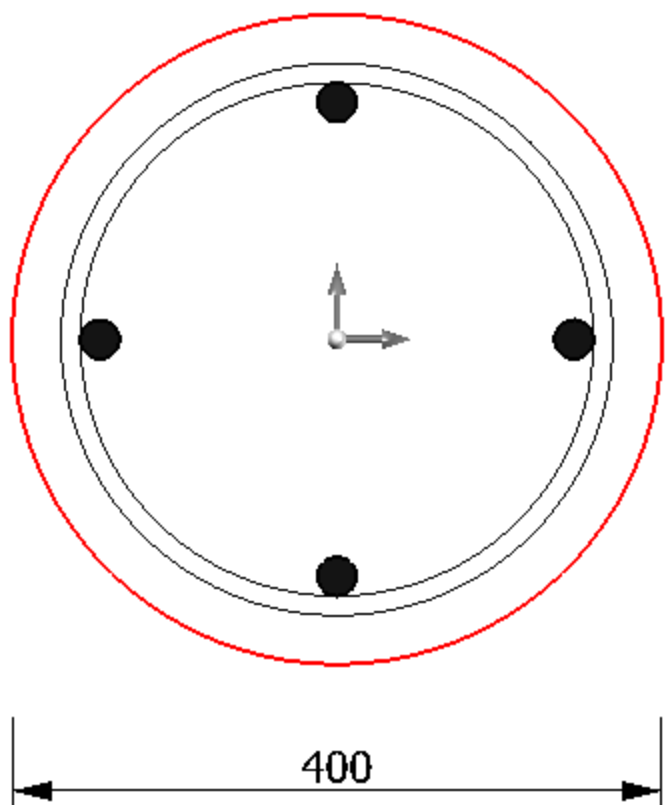
Design Code: AS 3600 - 2018 AMI

Run:

View:  Lock

Viewing Options:  M-N Curve  Ultimate  Plot CI10.6.3  Show Tension  Special Confinement Zone  Grid  Critical Section Points   $\Phi M$  at N\*

M - N Interaction: Direction: Mxy Fire Table: Table 5.6.4



**FIRE**

Design Code: AS 3600 - 2018 AMDTS No. 1 & No. 2

AXIS DISTANCE  
as = 54.00 mm

MINIMUM MOMENT - FIRE:  
Mxy\_top = 16.0 kNm  
Mxy\_btm = -16.0 kNm

APPLIED MOMENT - FIRE:  
Mxy\_top = 0.0 kNm  
Mxy\_btm = 0.0 kNm

DESIGN MOMENT - FIRE:  
Mxy\_top = 16.0 kNm  
Mxy\_btm = -16.0 kNm

MOMENT MAGNIFICATION FACTORS - FIRE:  
Table Table 5.6.3  
 $\delta_{xy\_top}$  = 1.000  
 $\delta_{xy\_btm}$  = 1.000  
Table Table 5.6.4  
 $\delta_{xy\_top}$  =  
 $\delta_{xy\_btm}$  =  
Magnified  
 $\delta_{xy\_top}$  =  
 $\delta_{xy\_btm}$  =  
Magnified

**Effective Length Under Fire Conditions: lo.fi**

This switch reduces lo.fi = 0.5Lu for Table 5.6.4 only. AS 3600 does not expressly state this, however, equivalent table in EC2 allows lo.fi = 0.5Lu. lo.fi is always reduced to 0.5Lu for Table 5.6.3.

lo.fi = 0.5-Lu for Tbl. 5.6.4

Use Mmin w/ single curvature

Mmin,xy, kNm: 16.0 -16.0

M\*xy, kNm: 16.0 -16.0

**Geometry**

Section Type: Circle

Braced, X: Braced, Y

Column Height: Lu, m: 3

Eff. Le, m X: 3 Y: 3

Diameter, mm: 400

**Longitudinal Steel**

Bars Diameter, mm: 24

Yield Stress, MPa: 500

Nº of bars - total: 4

Centreline Spc: 229 mm

**Nº of laterally restrained longitudinal bars**

Total: 4

Rest Spc: 292 mm

Tie Diameter: 328 mm

**Material Area**

Gross: 125,664 mm<sup>2</sup>

Concrete: 123,864 mm<sup>2</sup>

Long. Bars: 1,800 mm<sup>2</sup> 1.43 %

Single Set Ties: 220 mm<sup>2</sup>

W:310 kg/m (Total: 9 kN)

**Design Load: Ultimate**

	Top	Btm
N*, kN	1000	1000
M*x, kNm	0	0
M*y, kNm	0	0
V*x, kN	0	0
V*y, kN	0	0

V\* < 0.001 kN ignored

$\beta_d = G / (G + Q)$  0.8 Q / G = 0.25

**Concrete**

f'c, MPa: 32

Cover, mm: 30

Strength reduction factor due to spalling: 1.00

Core concrete strength multiplier due to confinement: 1.00

**Steel Ties**

Bar Diameter, mm: 12

Yield Stress, MPa: 500

Rest. of long steel to 10.7.4.1

IMRF  Rest. all bars

Nº of Legs: 2

Use Helix Ties

Min. Tie Spacing, mm: 50

Apply Min Moment, N x (0.05 D)

Force Bending in Single Curvature

Reversal of Loads: Vuc = 0 kN

Mmin xy, kNm: 20.0 -20.0

M\*xy, kNm: 20.0 -20.0

# AS 3600 – EQN. 5.6.3(2)

- Introduced to 2018 version of AS 3600
  - Has been amended twice since release.
- Provided as an alternative to the tabulated data
- No limits on eccentricity
- Limits on effective length ( $l_{o.fi}$ ) and dimensions.
- Provides more flexibility than tables
  - Can cap values to back limits (conservative)
    - $l_{o.fi}$  can be taken as 2 m when  $l_{o.fi} < 2\text{m}$
    - $b'$  taken as 450 mm when  $b' > 450\text{ mm}$

The FRP for structural adequacy for columns outside the limits defined for Table 5.6.3 and within the limits defined in the variables below may be assessed using Equation 5.6.3(2):

$$FRP = 120 ((R_{\eta.fi} + R_a + R_l + R_b + R_n)/120)^{1.8} \quad \dots 5.6.3(2)$$

where

$$R_{\eta.fi} = 83(1.0 - \mu_{fi} (1 + \omega)/(.945 + \omega))$$

$$R_a = 1.60 (a_s - 30)$$

$$R_l = 9.60 (5 - l_{o.fi})$$

$$R_b = 0.09 b'$$

$$R_n = 0 \text{ for 4 (corner bars only)}$$

$$= 12 \text{ for greater than 4 bars}$$

$$a_s = \text{the axis distance to the longitudinal steel bars (mm); } 25 \text{ mm} \leq a_s \leq 80 \text{ mm}$$

$$l_{o.fi} = \text{the effective length of the column under fire conditions; } 2 \text{ metres} \leq l_{o.fi} \leq 6 \text{ metres}$$

When  $l_{o.fi} < 2$  m, it is conservative to take  $l_{o.fi} = 2$  m in Equation 5.6.3(2)

$$b' = 2A_g / (y + x) \text{ for rectangular cross-sections}$$

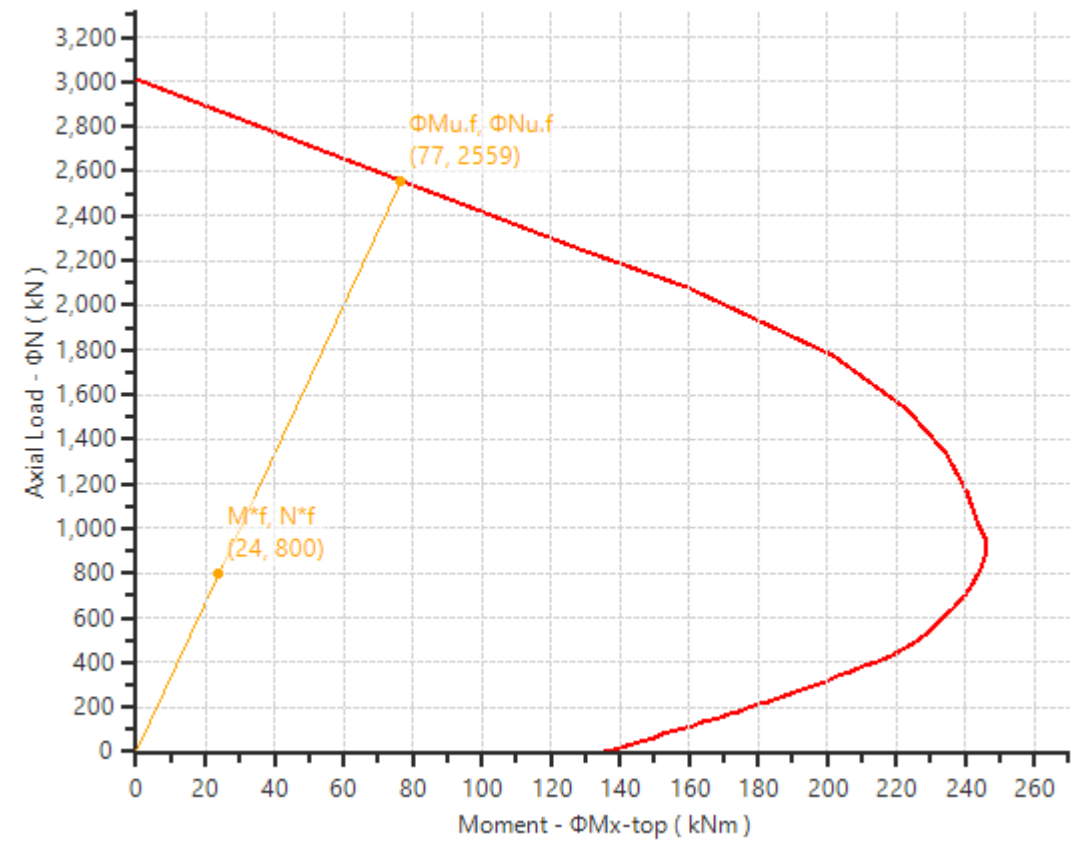
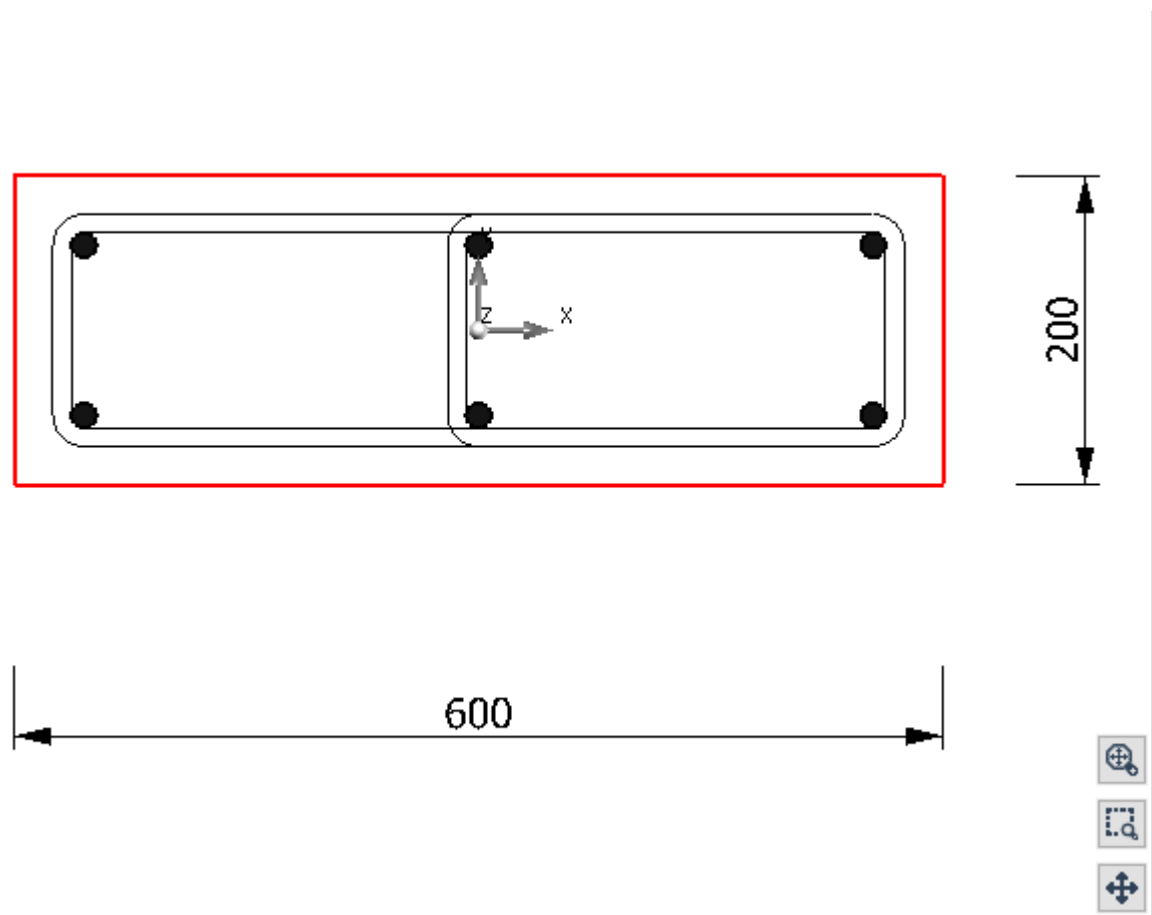
$$= \text{the diameter of circular cross-sections within the limits}$$

$$200 \text{ mm} \leq b' \leq 450 \text{ mm and } y \leq 1.5x$$

$$\omega = 1.3 A_s f_{sy} / A_g f'_c \text{ denotes the mechanical reinforcement ratio at normal temperature conditions}$$

- INDUCTA would treat these as “hard” limits and stop calculations if they were violated.
- $l_{o.fi}$  limit was clarified with AMDT No. 2
- $b'$  geometry limit capped in a recent update to RCC and RCB





$N^*f = 800 \text{ kN}$   
 $M^*fx \text{ unmagnified} = -24 \text{ kNm}$   
 Effective length under fire ( $l_{o.fi\_x}$ ): 2000 mm  
 Reinf. ratio: 0.01  
 Min. Dimension ( $b$ ): 200 mm  
 Axis distance ( $a_s$ ): 45 mm

$\Phi N_{ux} = 2,559 \text{ kN}$   
 $\mu_{fi} = N^*_f / \Phi N_u = 0.31$   
 $A_{gross} = 120,000 \text{ mm}^2$   
 $\omega = 1.3 A_s f_{sy} / A_g f'_c = 0.162$   
 $b' = 240 \text{ mm}$   
 $x = 200 \text{ mm}$   
 $y = 300 \text{ mm} - \text{capped to } y = 1.5x$

$R_{\eta.fi} = 55.76$   
 $R_a = 24.00$   
 $R_1 = 28.80$   
 $R_b = 21.60$   
 $R_n = 12$

FRP = 163 min ...Eqn 5.6.3(2)

- Tests have shown blade columns have larger FRP than columns of same thickness but less width.
- If  $y > 1.5x$  then  $y$  should be limited to:
  - $y = 1.5x$  ...then
  - $b' = 2x \cdot 1.5x / (x + 1.5x) = 1.2x$
- Similar for a circular columns
  - 500 mm column would fail  $b'$  but 450 mm passes?
  - Makes sense to cap back to lower value (conservative)

Title:  AS 3600 - 2018 AMI

Design Code: AS 3600 - 2018 AMI

Run:

View:  Lock

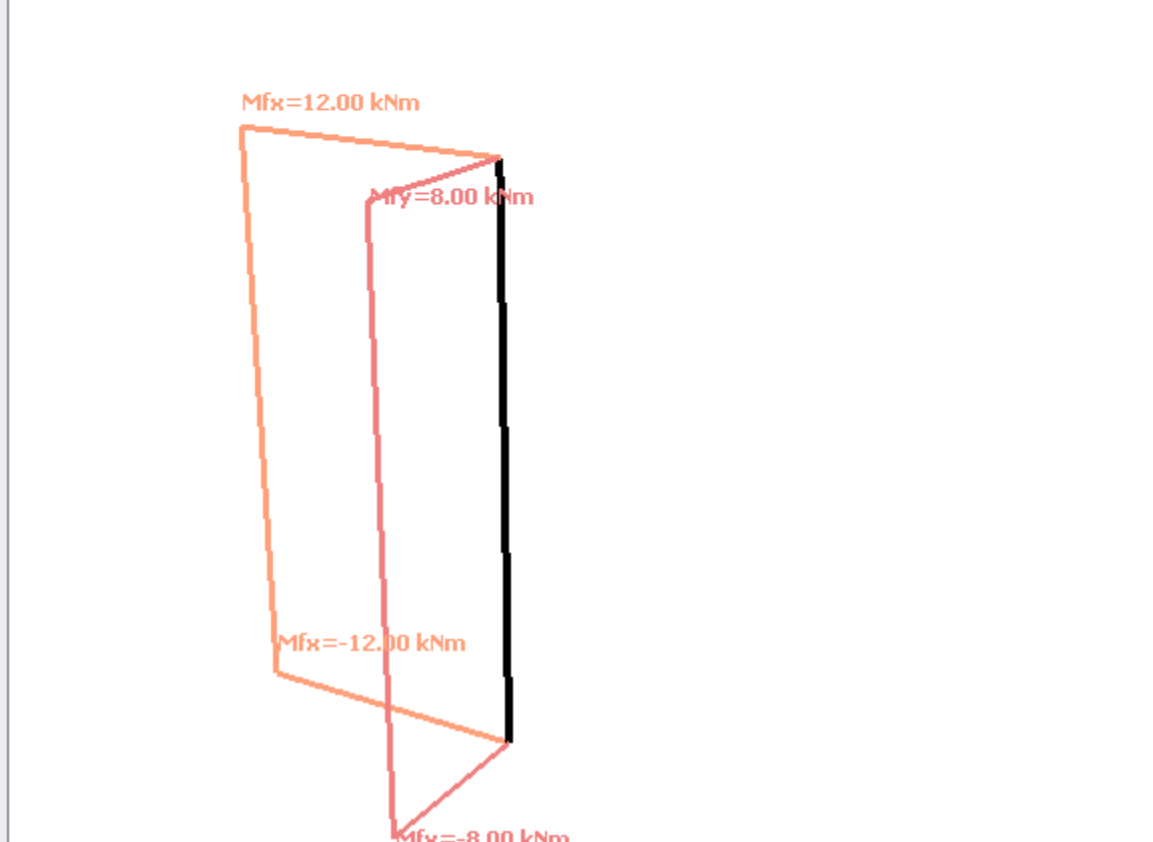
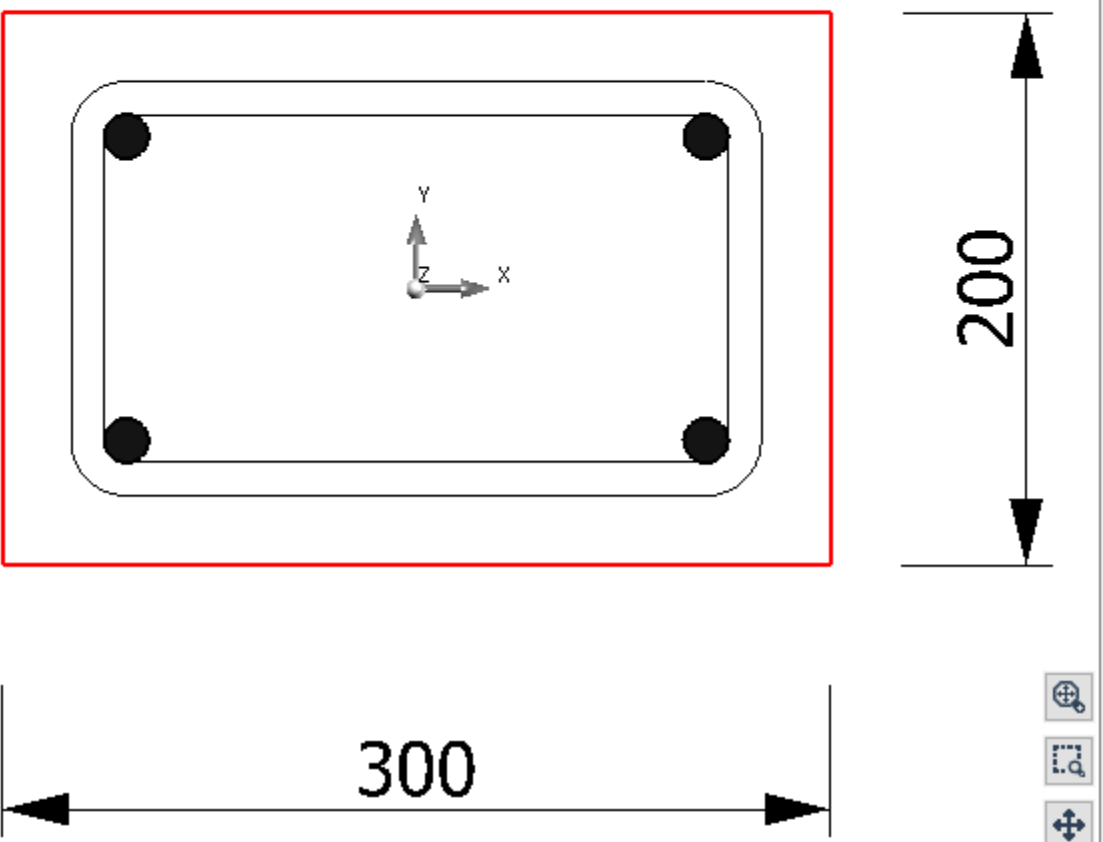
Viewing Options:  M-N Curve  Ultimate  Plot CI10.6.3

Show Tension  Special Confinement Zone  Critical Section Points

Direction: Mx-TOP

Fire Table: Table 5.6.3

M - N Interaction



$L_{ex}/r_x = 3.00/0.087 = 34.6 > 25.0$   $L_{ey}/r_y = 3.00/0.058 = 52.0 > 25.0$   
 Slender Column in x Slender Column in y

MOMENT MAGNIFICATION FACTORS:  
 $\delta_{x\_top} = 1.714$   $\delta_{y\_top} = 1.000$   
 No Magnification  
 $\delta_{x\_btm} = 1.714$   $\delta_{y\_btm} = 1.000$   
 No Magnification

BENDING MOMENT ACTING SEPARATELY:  
 Acting separately: Yes  
 $M^*_{x\_top} = 20.6$  kNm  
 $M^*_{y\_top} = 8.0$  kNm  
 Acting separately: Yes  
 $M^*_{x\_btm} = 20.6$  kNm  
 $M^*_{y\_btm} = 8.0$  kNm

BUCKLING LOAD:  
 $N_{cx\_top} = 1,920$  kN  $N_{cy\_top} = 668$  kN  
 $N_c = (\pi/L_e)^2 \cdot 182(D-cover)(\phi \cdot M_{ub}) / (1 + \beta_d)$   
 $= (\pi/3000)^2 \cdot 182(200-45) \cdot (0.65 \cdot 59,817,024.0) / (1 + 0.8)$   
 $= 668,230$  [N,mm] = 668kN  
 Axial Load:  $N^* = 800$  kN  $\geq$  Buckling Load:  $N_c = 668$  kN  
 $N_{cx\_btm} = 1,920$  kN  $N_{cy\_btm} = 668$  kN  
 $N_c = (\pi/L_e)^2 \cdot 182(D-cover)(\phi \cdot M_{ub}) / (1 + \beta_d)$   
 $= (\pi/3000)^2 \cdot 182(200-45) \cdot (0.65 \cdot 59,817,024.0) / (1 + 0.8)$   
 $= 668,230$  [N,mm] = 668kN  
 Axial Load:  $N^* = 800$  kN  $\geq$  Buckling Load:  $N_c = 668$  kN  
 Axial Load:  $N^* = 800$  kN  $\geq$  Buckling Load:  $N_c = 668$  kN

Axial Load:  $N^* = 800$  kN  $\geq$  Buckling Load:  $N_c = 668$  kN

Geometry

Section Type: Rectangle

Braced, X:  Braced, Y:

Column Height:  $L_u$ , m: 3

Eff.  $L_e$ , m X: 3 Y: 3

Dimension a, mm: 300

Dimension b, mm: 200

Concrete

$f'_c$ , MPa: 40

Cover, mm: 25

Strength reduction factor due to spalling: 1.00

Core concrete strength multiplier due to confinement: 1.00

Longitudinal Steel

Bars Diameter, mm: 16

Yield Stress, MPa: 500

Nº of bars - top/btm: 2

Nº of bars - side: 2

Nº of bars - total: 4

Spc\_X: 210 mm Spc\_Y: 110 mm

Steel Ties

Bar Diameter, mm: 12

Yield Stress, MPa: 400

Rest. of long steel to 10.7.4.1:

IMRF:  Rest. all bars:

Waive transv. spacing to Cl. 8.3.2.2:

Nº of Legs x (in y-y): 2

Nº of Legs y (in x-x): 2

Min. Tie Spacing, mm: 50

Nº of laterally restrained longitudinal bars

Total: 4

Top / Btm: 2

Side: 2

Rest Spc\_X: 210mm Rest Spc\_Y: 110 mm

Material Area

Gross: 60,000 mm<sup>2</sup>

Concrete: 59,200 mm<sup>2</sup>

Long. Bars: 800 mm<sup>2</sup> 1.33 %

Single Set Ties: 440 mm<sup>2</sup>

W: 150 kg/m (Total: 4 kN)

Design Load: Ultimate

	Top	Btm
$N^*$ , kN	800	800
$M^*_x$ , kNm	12.0	-12.0
$M^*_y$ , kNm	8.0	-8.0
$V^*_x$ , kN		
$V^*_y$ , kN		

$\beta_d = G / (G + Q) = 0.8$   $Q / G = 0.5$

Apply Min Moment,  $N_x (0.05 D)$

Force Bending in Single Curvature

Reversal of Loads:  $V_{uc} = 0$  kN

Design Load: Fire

	Top	Btm
$N^*_f$ , kN	800	800
$M^*_f_x$ , kNm	12.0	-12.0
$M^*_f_y$ , kNm	8.0	-8.0

$\beta_d = G / (G + Q) = 0.8$   $Q / G = 0.25$

Required FRP: 90 min

Exposed: on more than one side

$l_o \cdot f_i = 0.5 \cdot L_u$  for Tbl. 5.6.4

Use Mmin w/ single curvature

$M_{min\ x}$ , kNm: 12.0 -12.0

$M_{min\ y}$ , kNm: 8.0 -8.0

$M^*_x$ , kNm: 12.0 -12.0

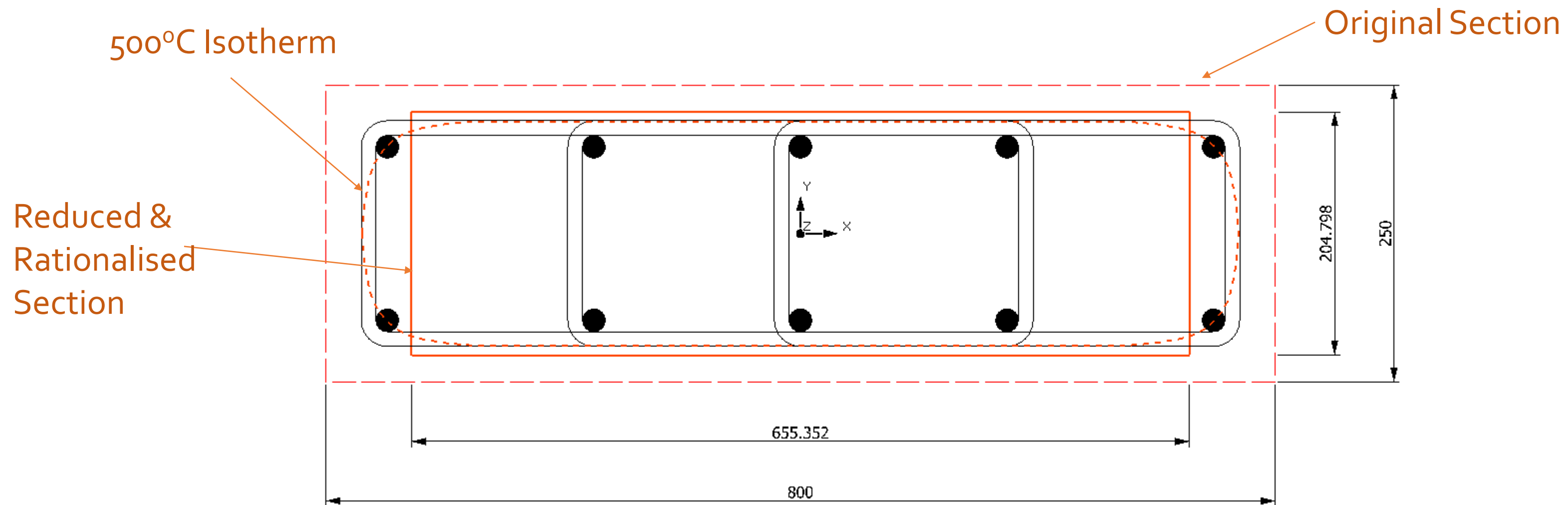
$M^*_y$ , kNm: 8.0 -8.0

# FIRE DESIGN OF COLUMNS TO AS 3600

- 5.3.1 b) predicted by methods of calculation
  - Eurocode 2 Part 1-2
    - **500°C Isotherm Method – Annex B1**
    - Zone Method – Annex B2
  - **Zone Method**
    - More accurate but difficult to implement and check.
    - Concrete is divided into zones (at least 3) and considers reduced concrete strength.
    - There is also a zone of concrete that is ineffective.
    - Reduced reinforcement capacity is considered.
    - Section is checked using this cross section with varying concrete grades and reduced reinforcement.
    - Will not be done with the INDUCTA Software.

# 500°C ISOTHERM METHOD

- Assume concrete with temperature  $> 500^{\circ}\text{C}$  is ineffective.
- Assume all other concrete has same properties normal temperature.
- Reinforcement has reduced strength even if outside the reduced section.
- Isotherm is rationalised to a rectangle with same area and aspect ratio of original section.



# 500°C ISOTHERM METHOD

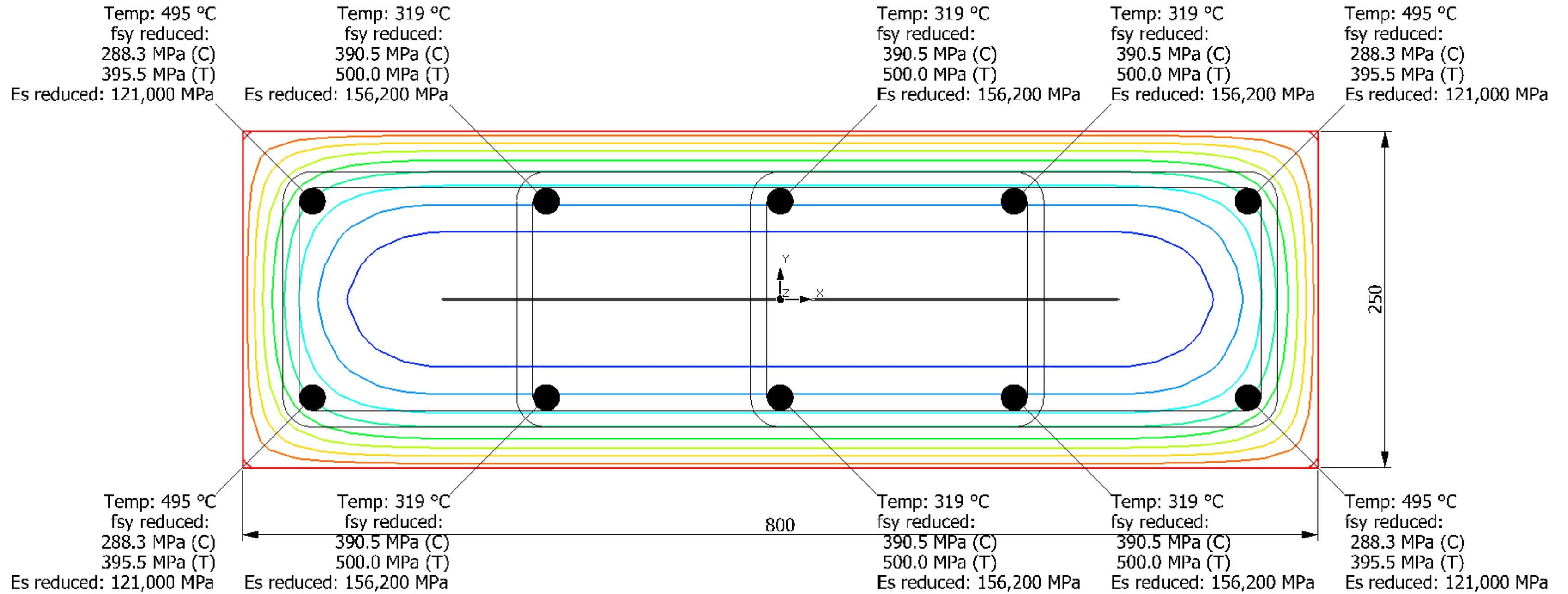
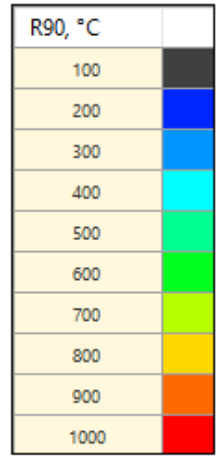
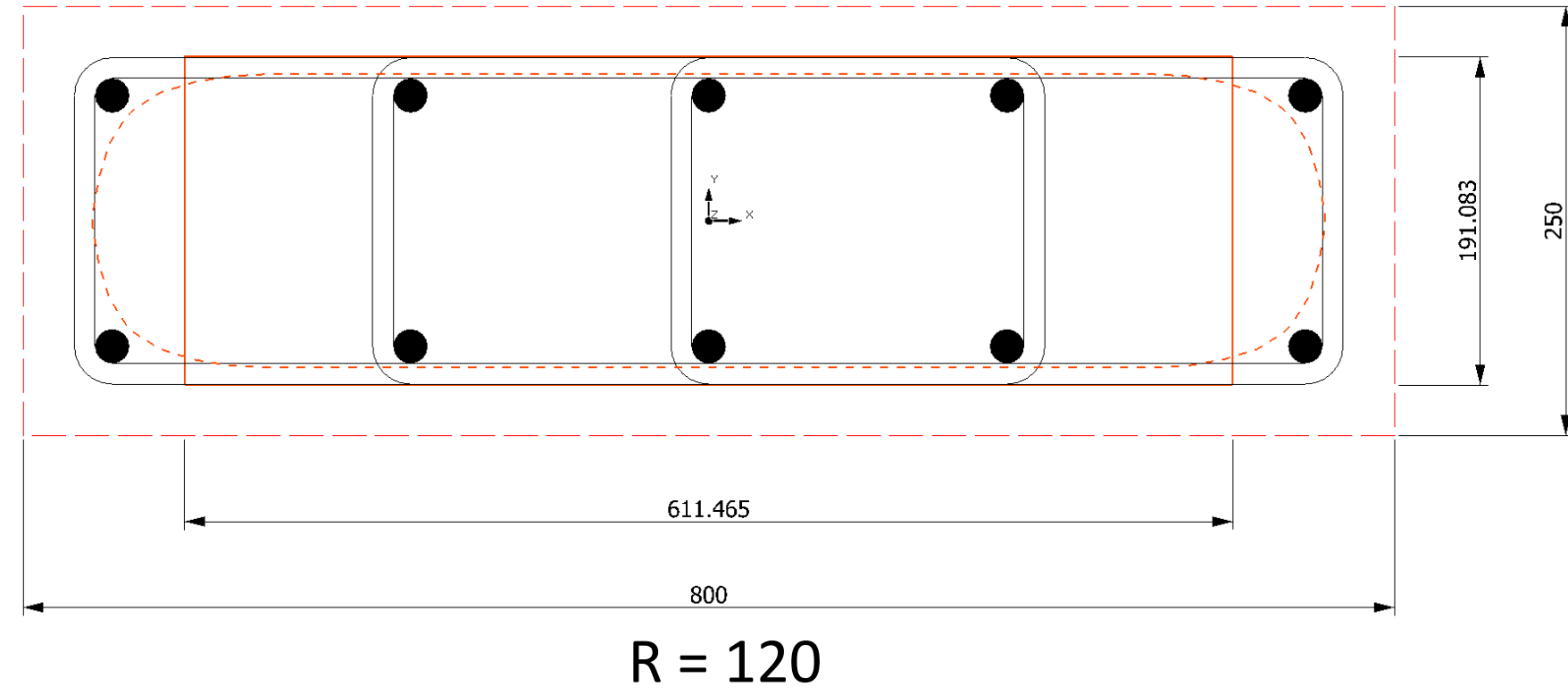
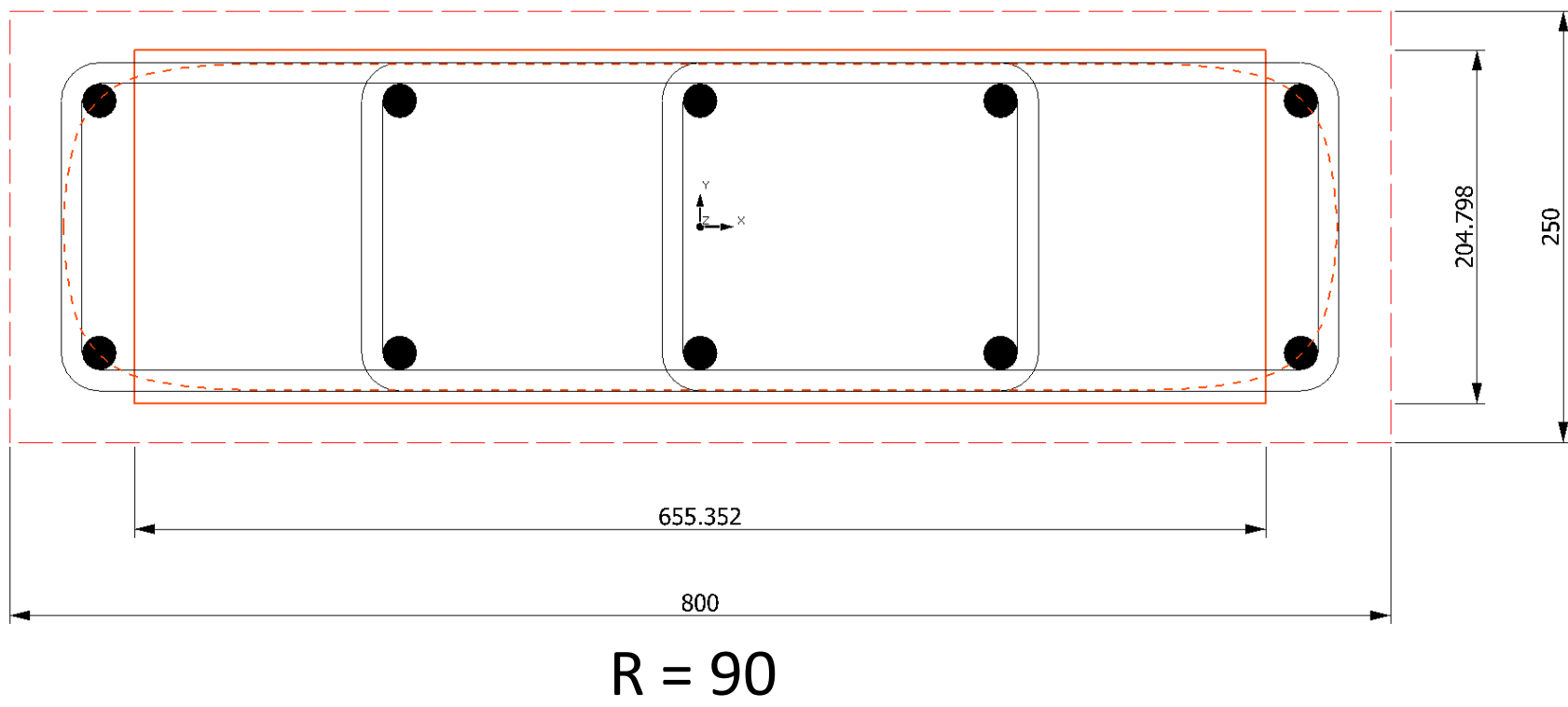
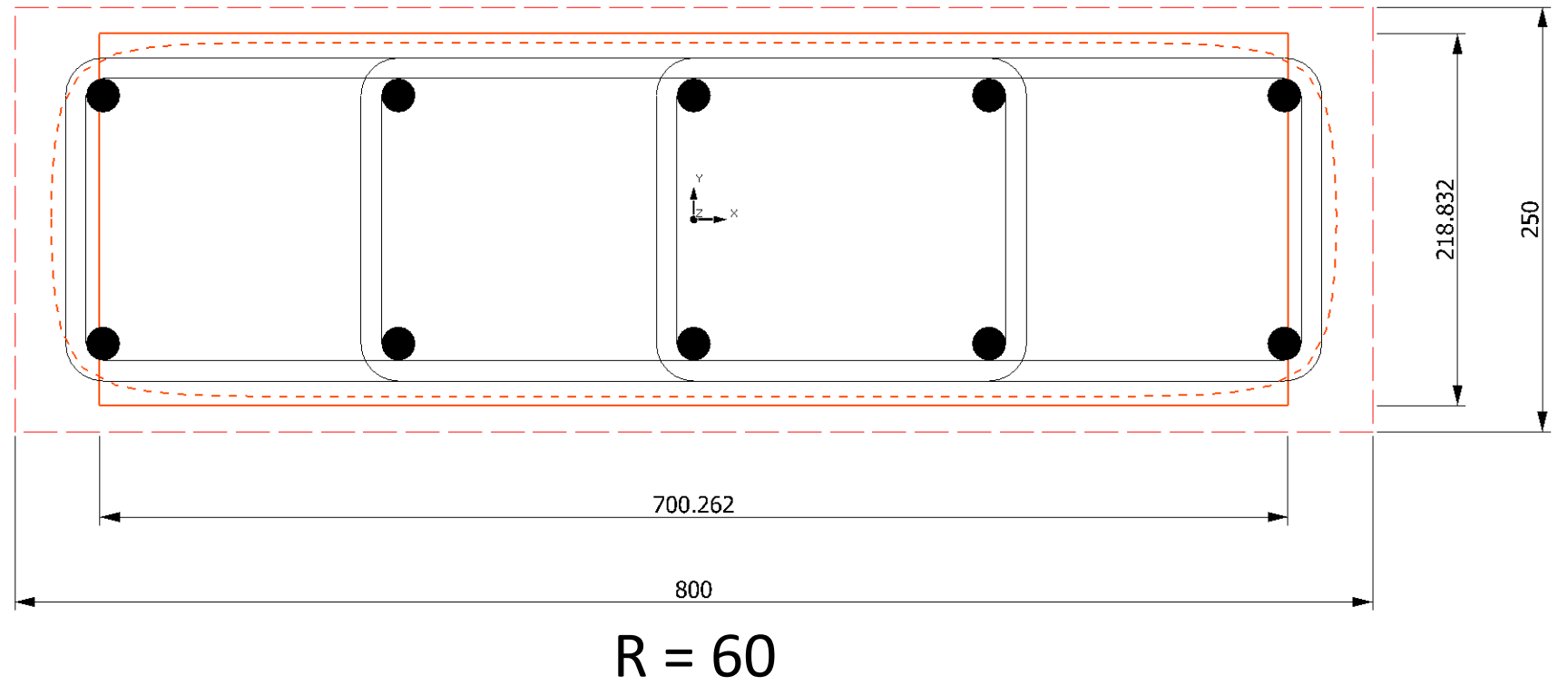
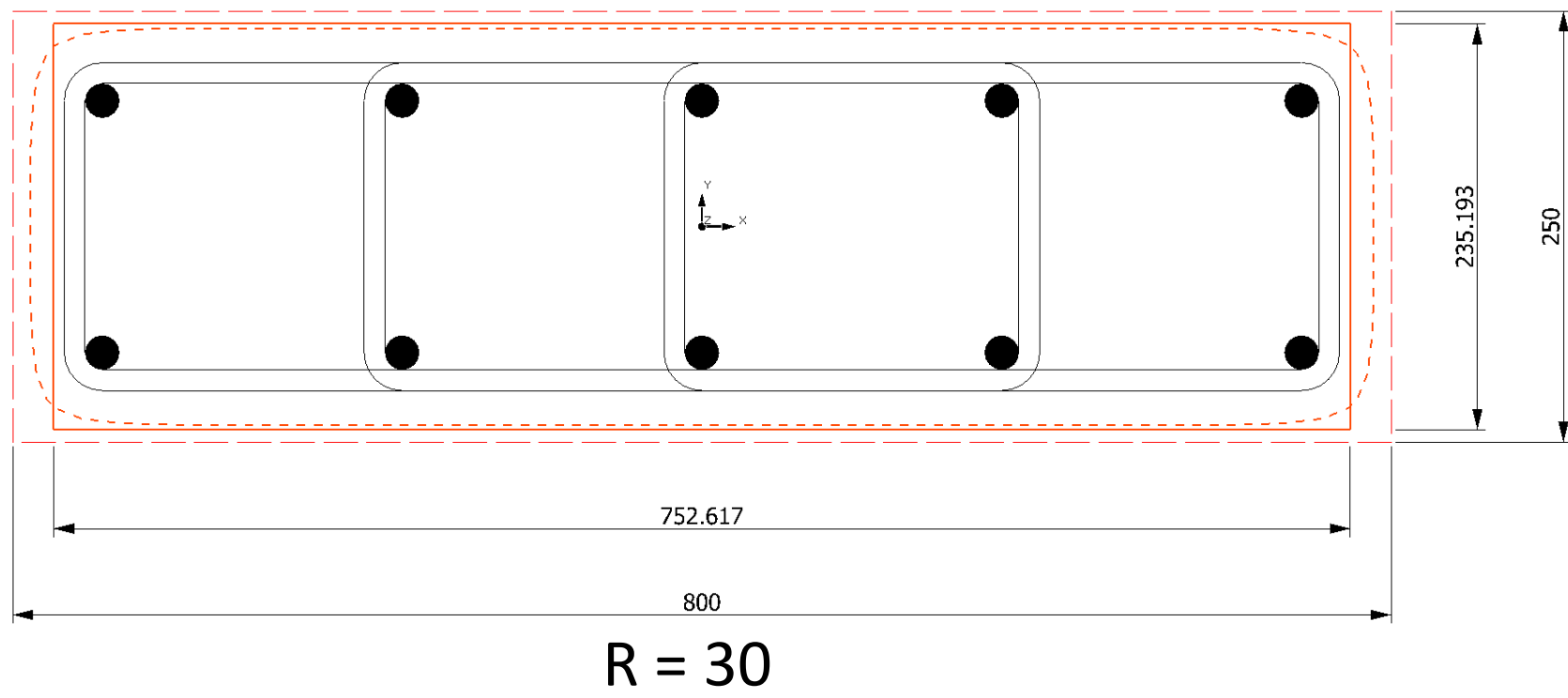
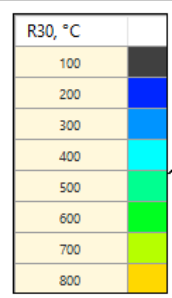


Figure A.13: Temperature profiles (°C) for a column - R90

# CALCULATION PROCEDURE

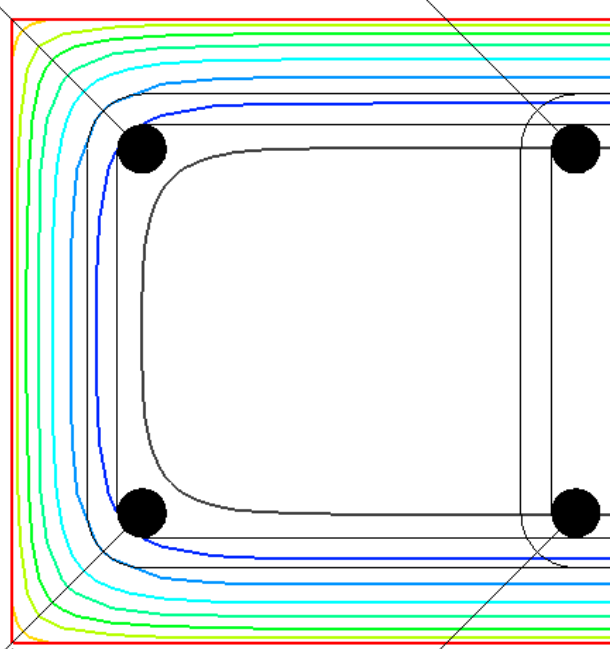
- Determine the 500°C isotherm for the chosen Fire Resistance Class (R or FRP)
  - Figure A.15 (rectangular) & Figure A.20 (circular and complex)
- Determine the reduced concrete section
  - Create an equivalent rectangle that has same area as reduced 500°C Isotherm but maintains aspect ratio of original section. (rect. only)
- Determine the temperature of the reinforcing bars for the relevant temperature profile
  - Figure A11 – A14 (rectangular) & Figure A16 – A 19 (circular and complex)
- Determine reduced strength of the reinforcement to 4.2.4.3
  - Reinforcement yield stress ( $f_{sy}$ ) will vary for compression and for tension
  - Elastic Modulus ( $E_s$ ) is reduced
- Check the section using conventional calculation methods
  - Reduced concrete section has normal, unreduced properties
  - Reinforcement has reduced properties.





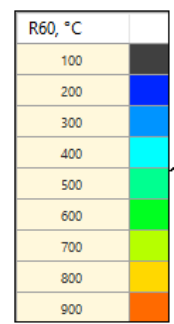
Temp: 169 °C  
 fsy reduced:  
 465.5 MPa (C)  
 500.0 MPa (T)  
 Es reduced: 186,200 MPa

Temp: 104 °C  
 fsy reduced:  
 498.0 MPa (C)  
 500.0 MPa (T)  
 Es reduced: 199,200 MPa



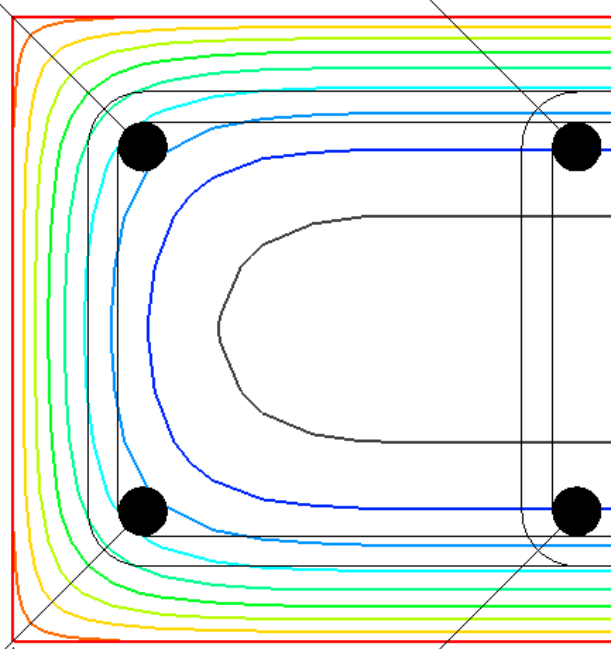
Temp: 169 °C  
 fsy reduced:  
 465.5 MPa (C)  
 500.0 MPa (T)  
 Es reduced: 186,200 MPa

Temp: 104 °C  
 fsy reduced:  
 498.0 MPa (C)  
 500.0 MPa (T)  
 Es reduced: 199,200 MPa



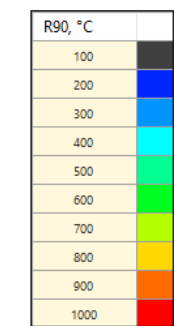
Temp: 349 °C  
 fsy reduced:  
 375.5 MPa (C)  
 500.0 MPa (T)  
 Es reduced: 150,200 MPa

Temp: 208 °C  
 fsy reduced:  
 446.0 MPa (C)  
 500.0 MPa (T)  
 Es reduced: 178,400 MPa



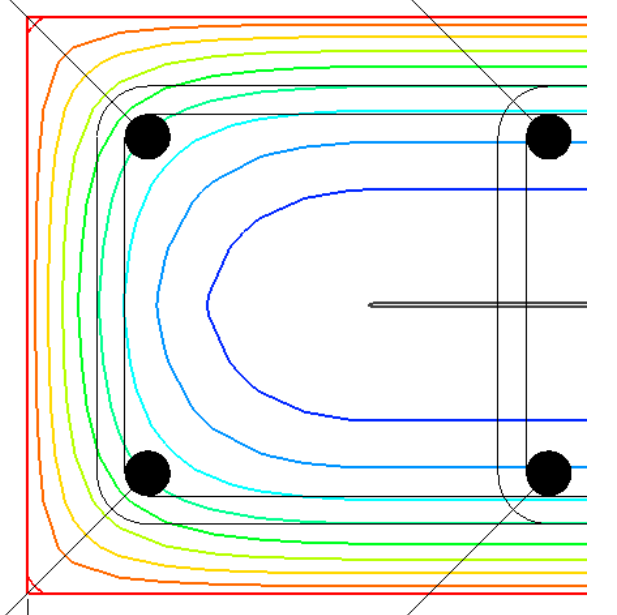
Temp: 349 °C  
 fsy reduced:  
 375.5 MPa (C)  
 500.0 MPa (T)  
 Es reduced: 150,200 MPa

Temp: 208 °C  
 fsy reduced:  
 446.0 MPa (C)  
 500.0 MPa (T)  
 Es reduced: 178,400 MPa



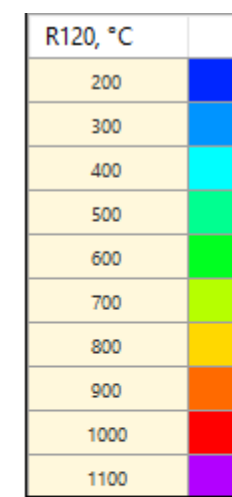
Temp: 495 °C  
 fsy reduced:  
 288.3 MPa (C)  
 395.5 MPa (T)  
 Es reduced: 121,000 MPa

Temp: 319 °C  
 fsy reduced:  
 390.5 MPa (C)  
 500.0 MPa (T)  
 Es reduced: 156,200 MPa



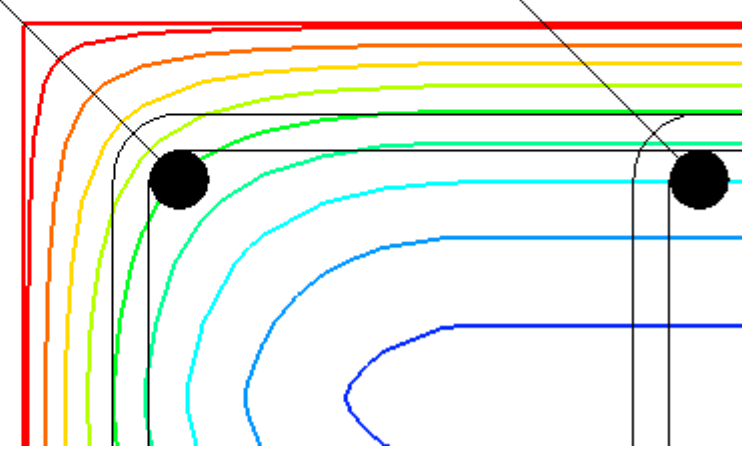
Temp: 495 °C  
 fsy reduced:  
 288.3 MPa (C)  
 395.5 MPa (T)  
 Es reduced: 121,000 MPa

Temp: 319 °C  
 fsy reduced:  
 390.5 MPa (C)  
 500.0 MPa (T)  
 Es reduced: 156,200 MPa



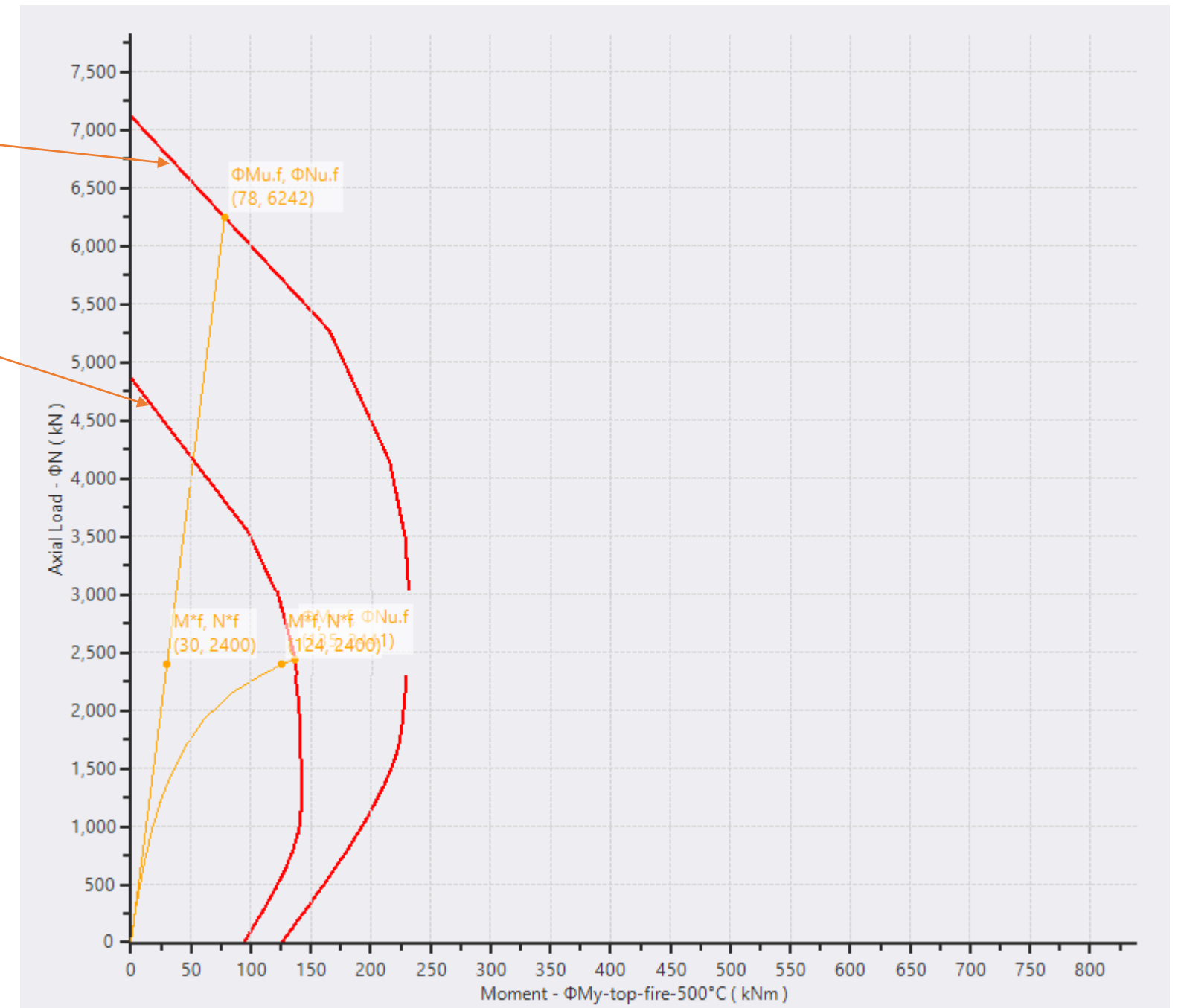
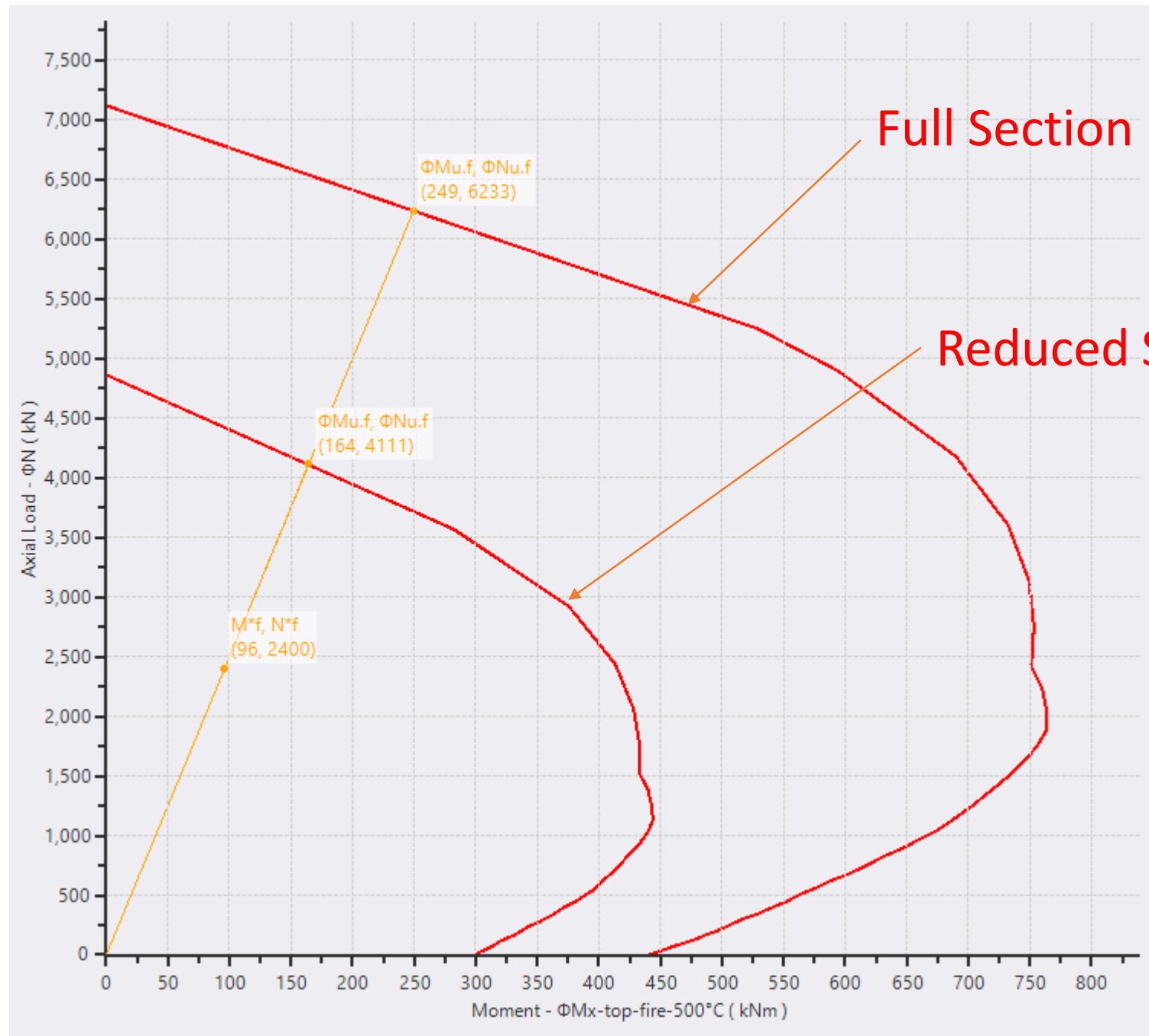
Temp: 597 °C  
 fsy reduced:  
 171.0 MPa (C)  
 239.7 MPa (T)  
 Es reduced: 63,740 MPa

Temp: 406 °C  
 fsy reduced:  
 346.1 MPa (C)  
 493.4 MPa (T)  
 Es reduced: 138,800 MPa





# SECTION CAPACITY - R90



# CIRCULAR SECTIONS

R60, °C	
900	Orange
800	Yellow
700	Light Green
600	Green
500	Cyan
400	Blue
300	Dark Blue
200	Black
100	Black

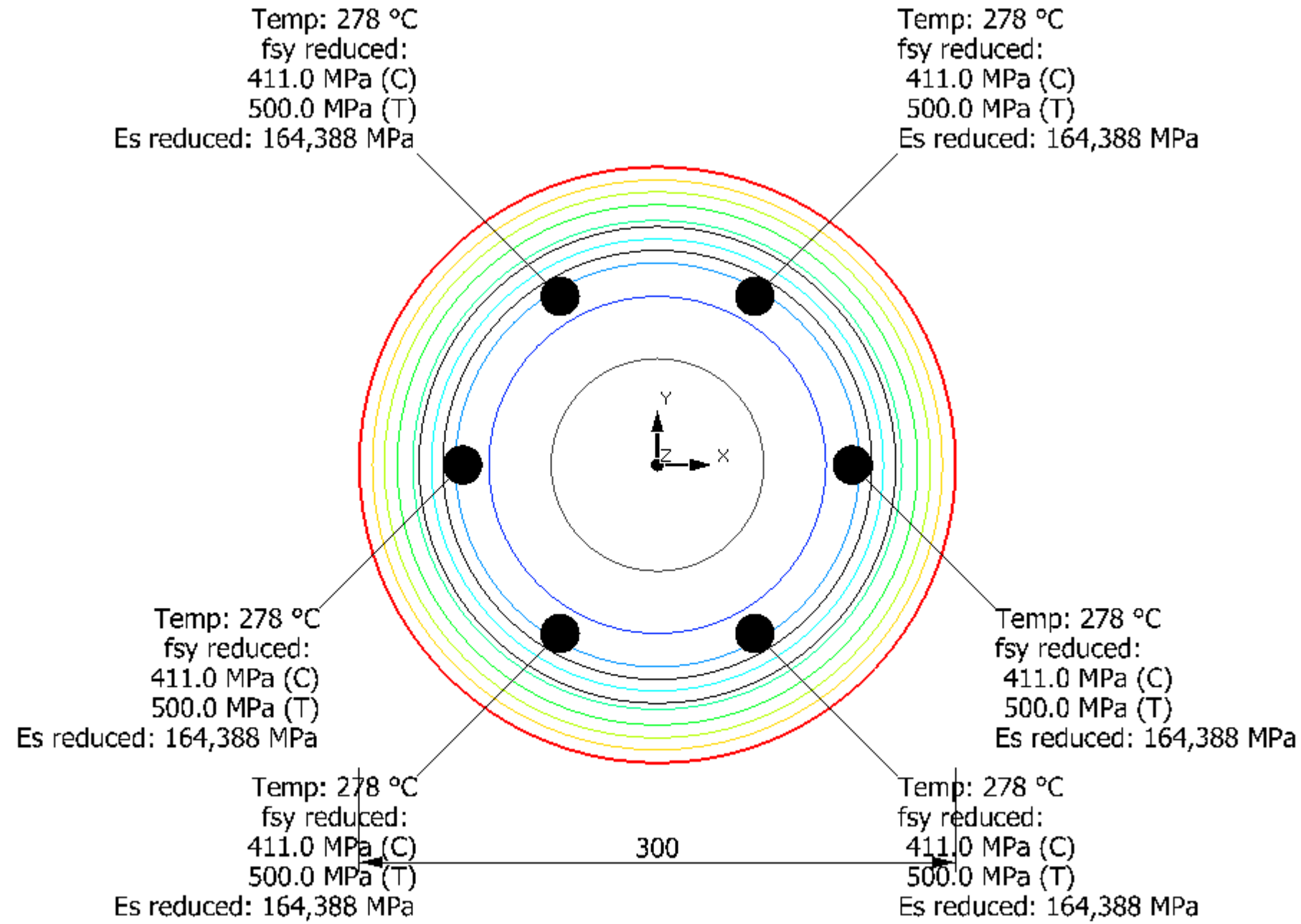


Figure A.17: Temperature profiles (°C) for a circular column - R60

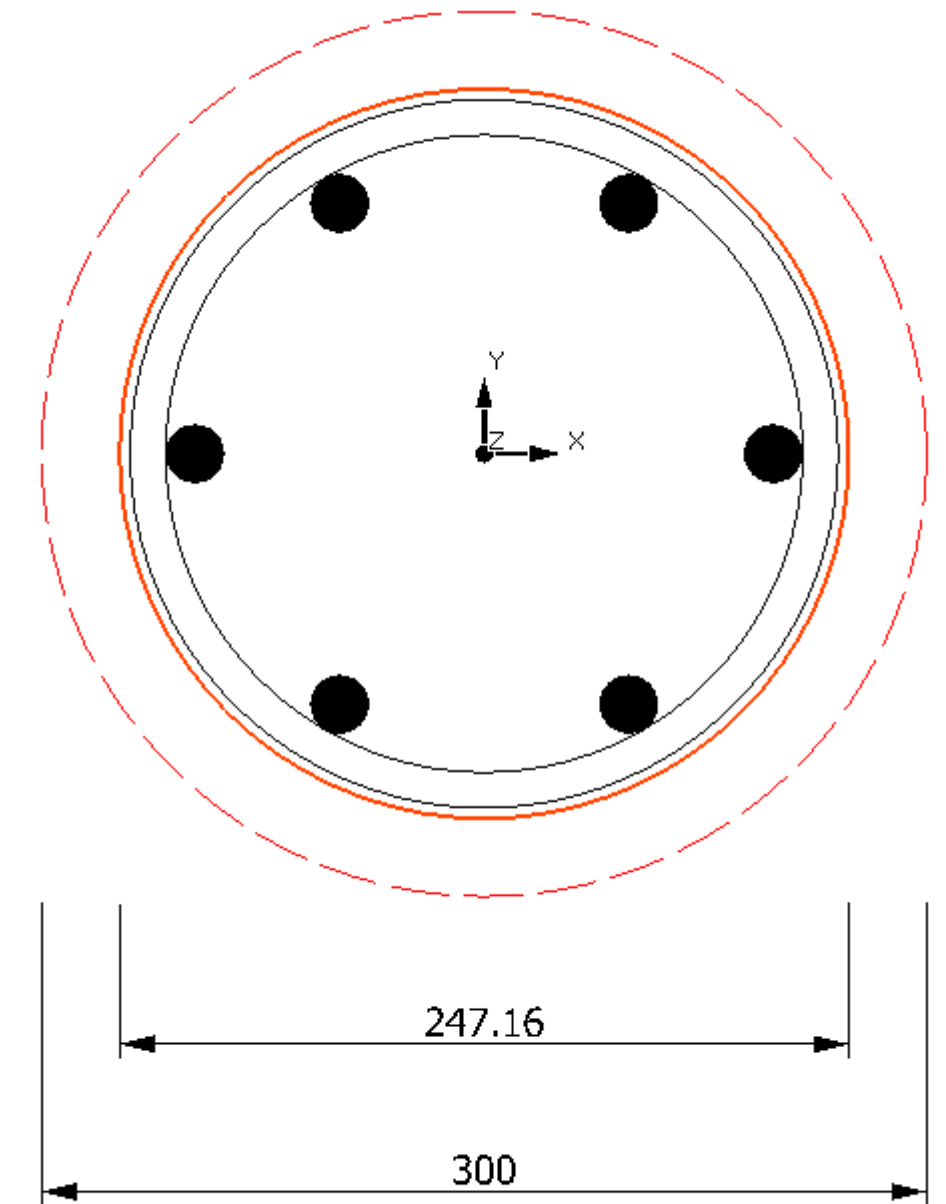


Figure A.20: 500 °C isotherms for a circular column

# COMPLEX SECTIONS

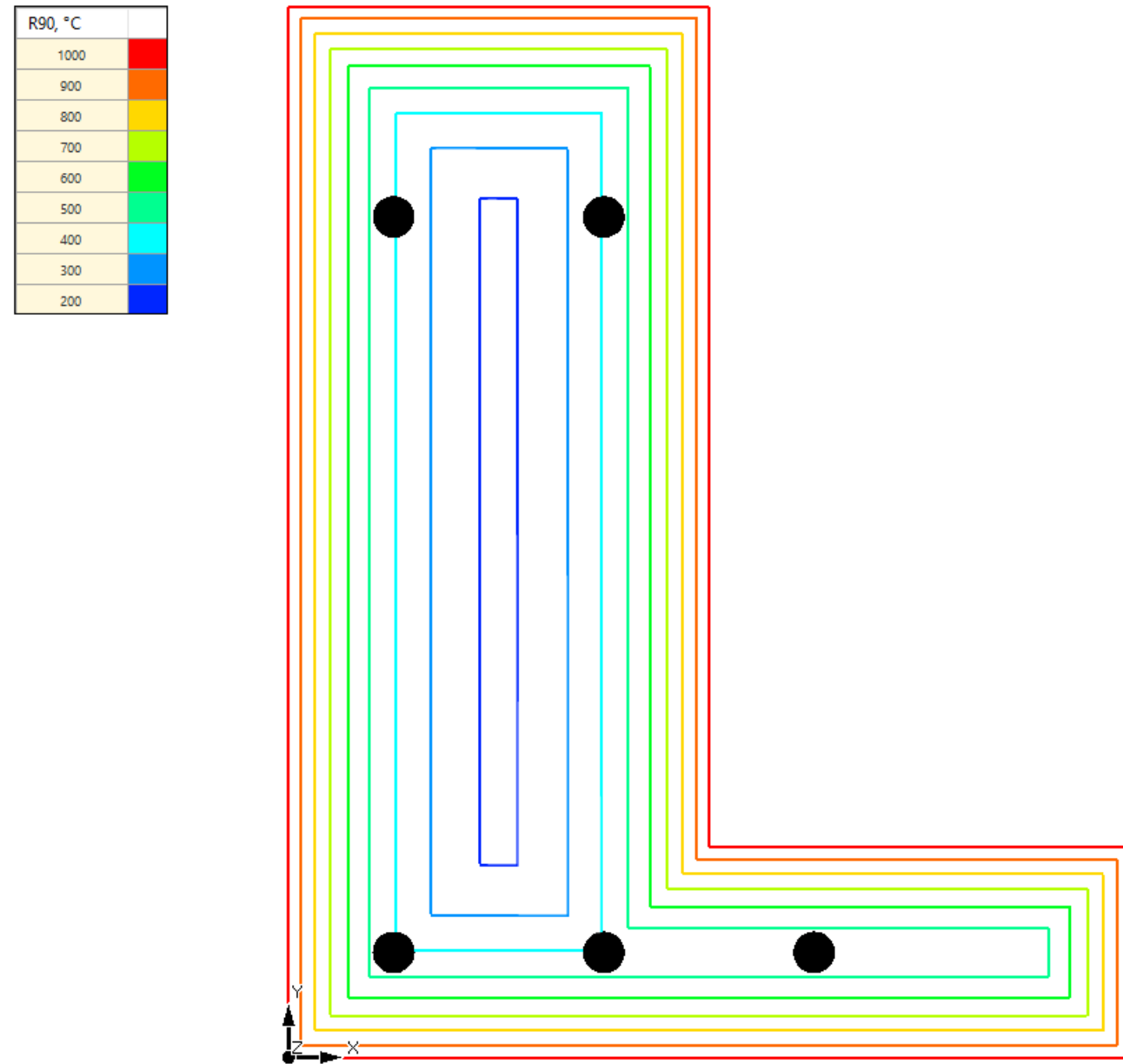


Figure A.18: Temperature profiles (°C) for a circular column - R90

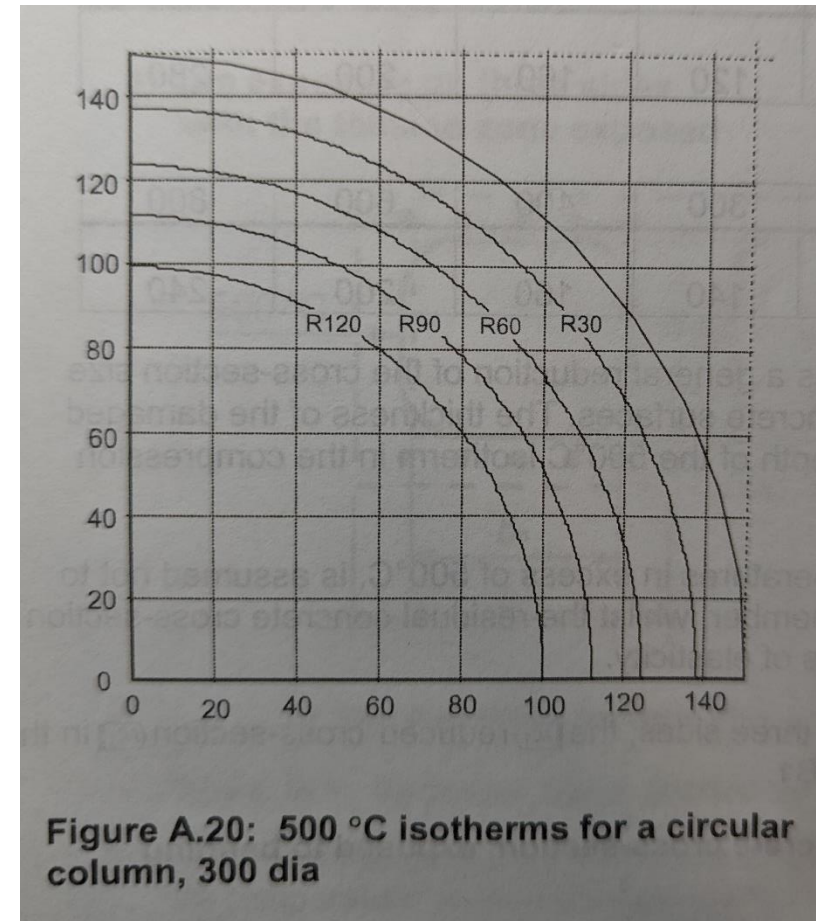
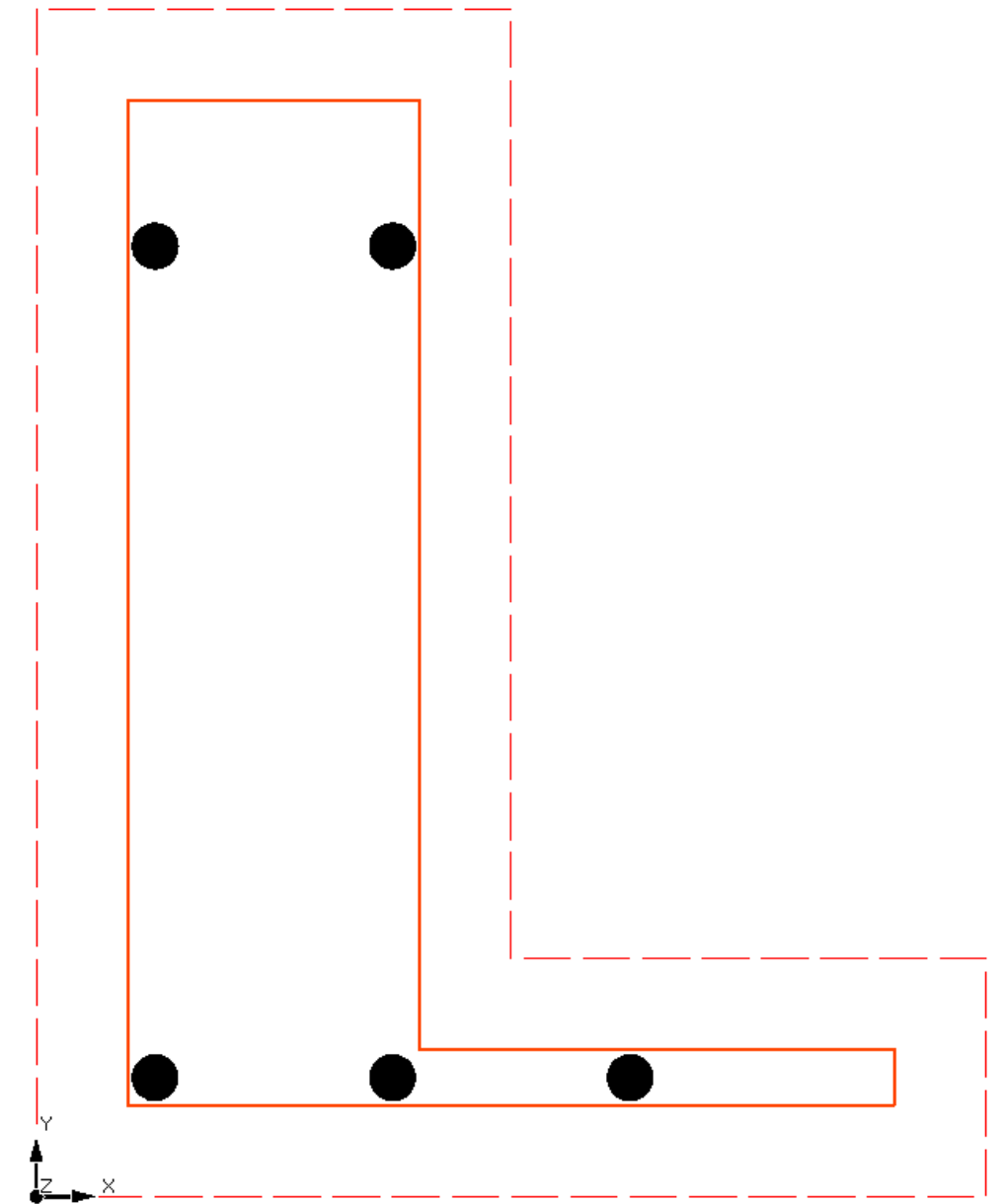


Figure A.20: 500 °C isotherms for a circular column



# CLOSING REMARKS

- EC2 500°C Isotherm Method
  - Coming as a free update to INDUCTA RCB and RCC software early 2023.
- Fully automated as per existing column calculations.
- Will provide complete solution for column fire design using the INDUCTA Software.

# REFERENCES

- Concrete structures AS 3600 – 2018 Incl. AMDTs No 1 & No 2
- Concrete structure – commentary (supplement 1 to AS 3600:2018)
- Concrete Design Guide, No. 6: Fire design of concrete columns and walls to Eurocode 2
- Eurocode 2: Design on concrete structure – Part 1-2: General rules – Structural fire design